

Structured Testing

- Also referred to as ~~basis path~~ testing
- Uses the topology of the control flow graph to identify test cases
- Steps
 - 1. Derive the control flow graph
 - 2. Compute the Cyclomatic Complexity of the graph
 - 3. Select a set of C basis paths
 - 4. Create a test case for each basis path
 - 5. Execute these tests

Basic Path Set

- An execution path is a set of nodes and ~~directed edges~~ in a flow graph that connects (in a directed fashion) ~~the start node to a terminal node.~~ *Not a path!*
- Two execution paths are said to be independent if they do not include the same set of nodes and edges.
- A basic set of execution paths for a flow graph is an independent maximum set of paths in which all nodes and edges of the graph are included at least once.

Cyclomatic Complexity

The maximum size of a set of independent paths is unique for a given graph and is ^{# of edges} called the cyclomatic number.

$$v(G) = e - n + 2$$

Number of nodes.

Where $v(G)$ denotes the cyclomatic number of graph G , n is the number of vertices in G , e is the number of edges.

Cyclomatic Complexity

Criterion

- A set P of execution paths satisfies *cyclomatic number criterion* if and only if P contains at least one set of v independent paths, where $v = e - n + 2$ is the cyclomatic number of the flow graph.

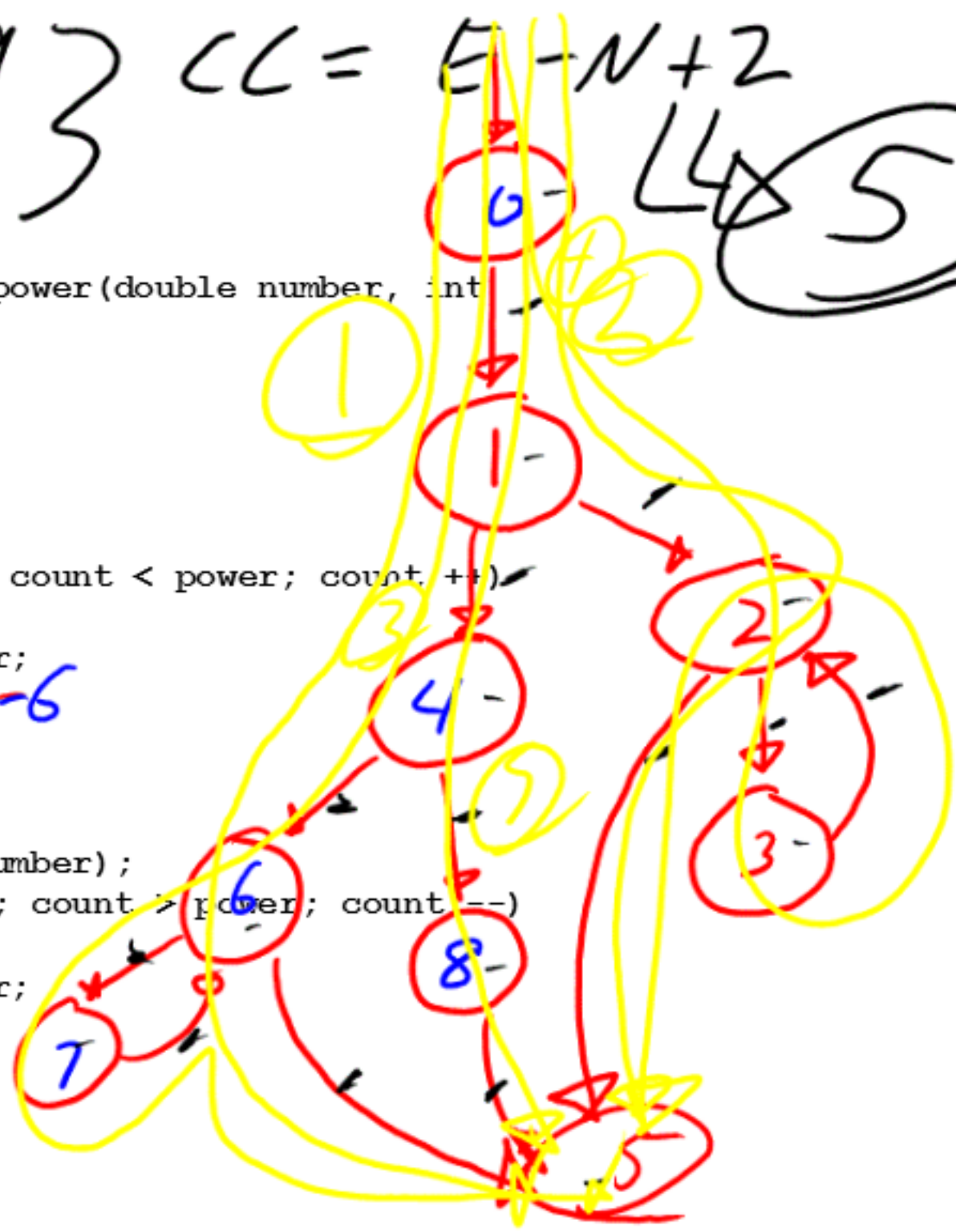
v is the same as CC

Notes: 9 } CC = E - N + 2
 Edges: 12 } $CC = E - N + 2$
 5

```
public static double power(double number, int
power)
```

```
{
double retVal = 0;
if (power > 0)
{
retVal = number;
for (int count=1; count < power; count++)
{
retVal *= number;
}
}
else if (power < 0)
{
retVal = (1.0 / number);
for (int count=-1; count > power; count--)
{
retVal /= number;
}
}
else
{
retVal = 1.0;
}
return retVal;
}
```

Example



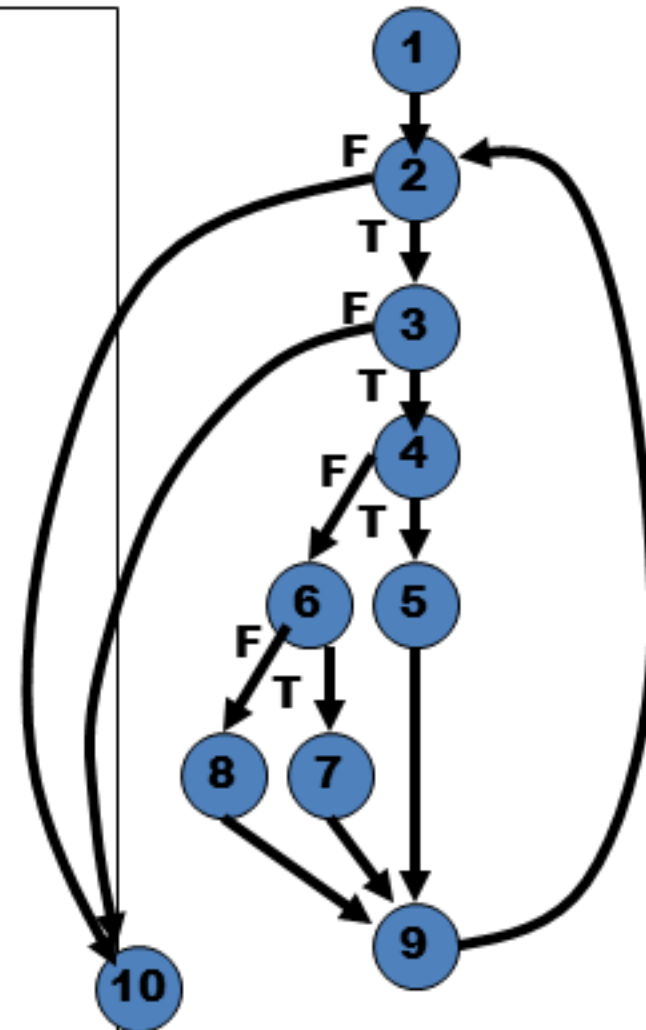
Binary Search CFG

```
public static int binarySearch( int key, int[] sequence ) {
    int bottom = 0;
    int top = sequence.length - 1;
    int mid = 0;
    int keyPosition = -1;

    while( bottom <= top && keyPosition == -1 ) {
        mid = ( top + bottom ) / 2;
        if( sequence[ mid ] == key ) {
            keyPosition = mid;
        }
        else {
            if( sequence[ mid ] < key ) {
                bottom = mid + 1;
            }
            else {
                top = mid - 1;
            }
        }
    }
    return keyPosition;
}
```

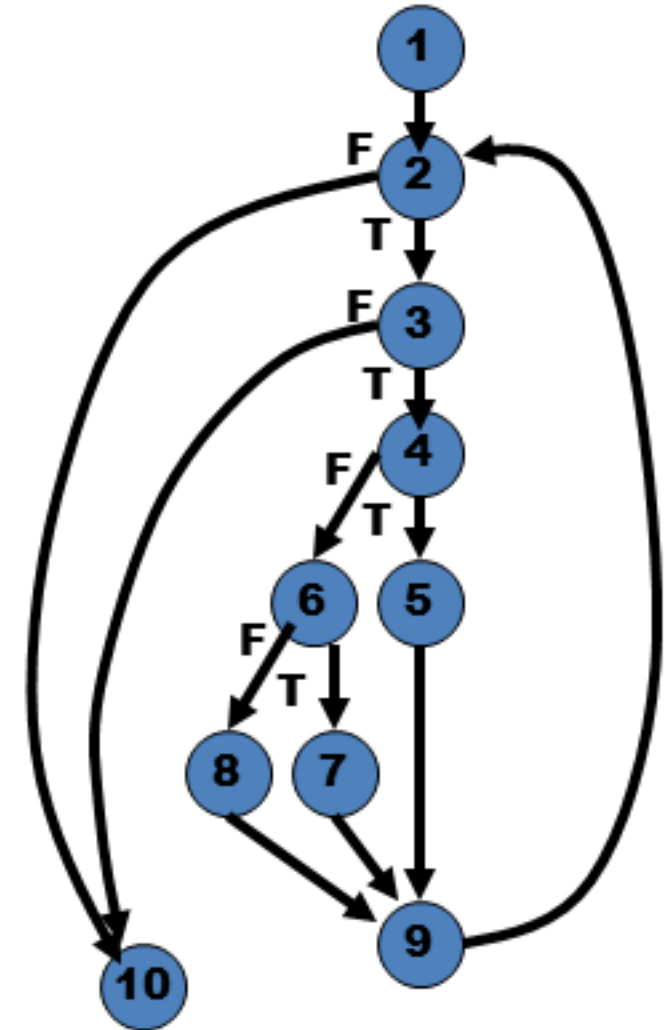
Binary Search CFG

```
public static int binarySearch( int key, int[] sequence ) {  
    int bottom = 0;  
    int top = sequence.length - 1;  
    int mid = 0;  
    int keyPosition = -1;  
  
    while( bottom <= top && keyPosition == -1 ) {  
        mid = ( top + bottom ) / 2;  
        if( sequence[ mid ] == key ) {  
            keyPosition = mid;  
        }  
        else {  
            if( sequence[ mid ] < key ) {  
                bottom = mid + 1;  
            }  
            else {  
                top = mid - 1;  
            }  
        }  
    }  
    return keyPosition;  
}
```



Creating Test Cases

- Work out the number of distinct paths.
 - Cyclomatic Complexity
$$CC = noEdges - noNodes + 2$$
$$CC = 13 - 10 + 2 = 5$$
- List the distinct paths.
 - 1, 2, 10
 - 1, 2, 3, 10
 - 1, 2, 3, 4, 5, 9, 2... (loop again?)
 - 1, 2, 3, 4, 6, 7, 9, 2... (loop again?)
 - 1, 2, 3, 4, 6, 8, 9, 2... (loop again?)
- Figure out the conditions that cause execution of these paths.



Your exercise:

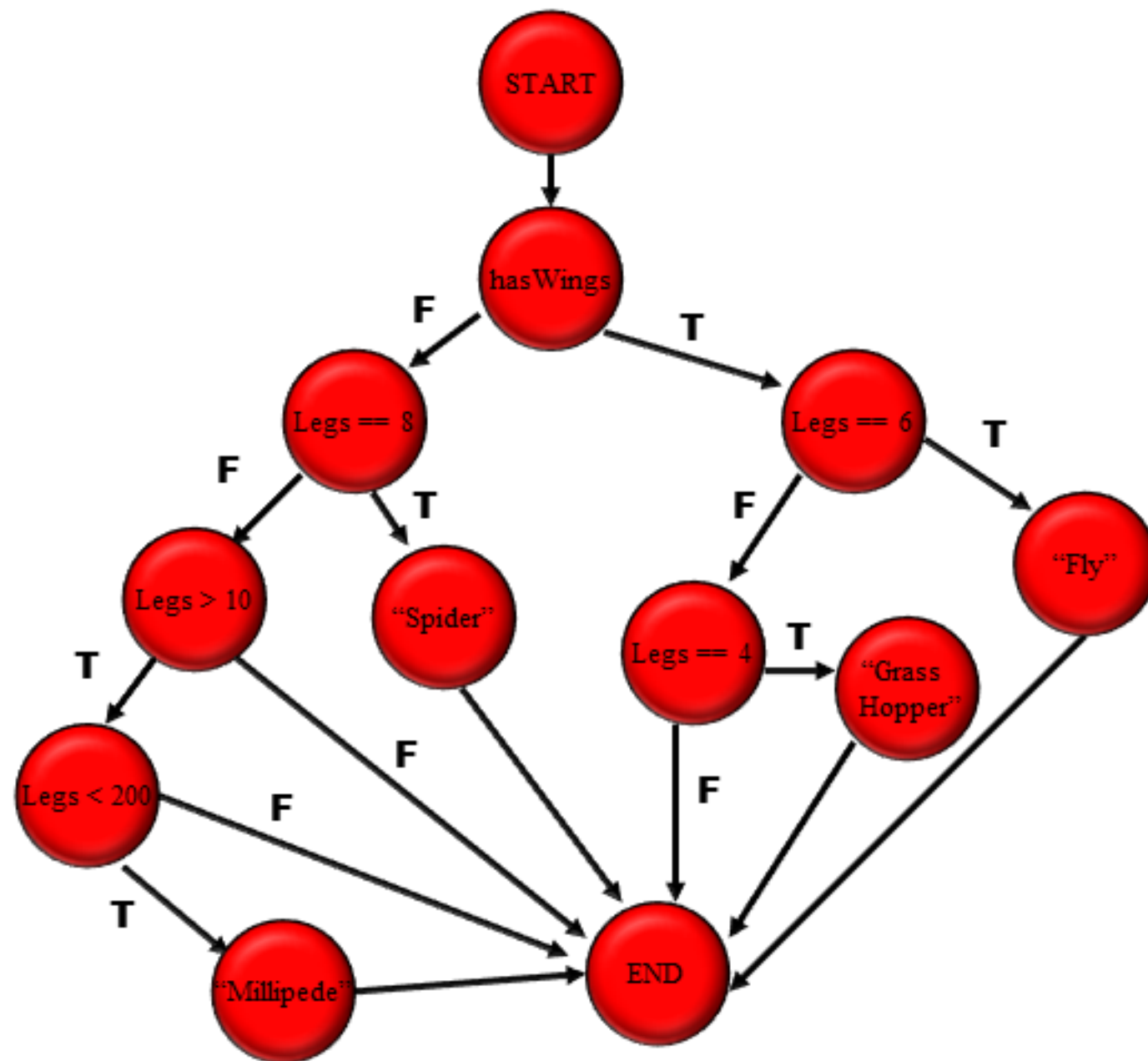
Draw a flow graph for this piece of source code

Determine the cyclomatic complexity of the code

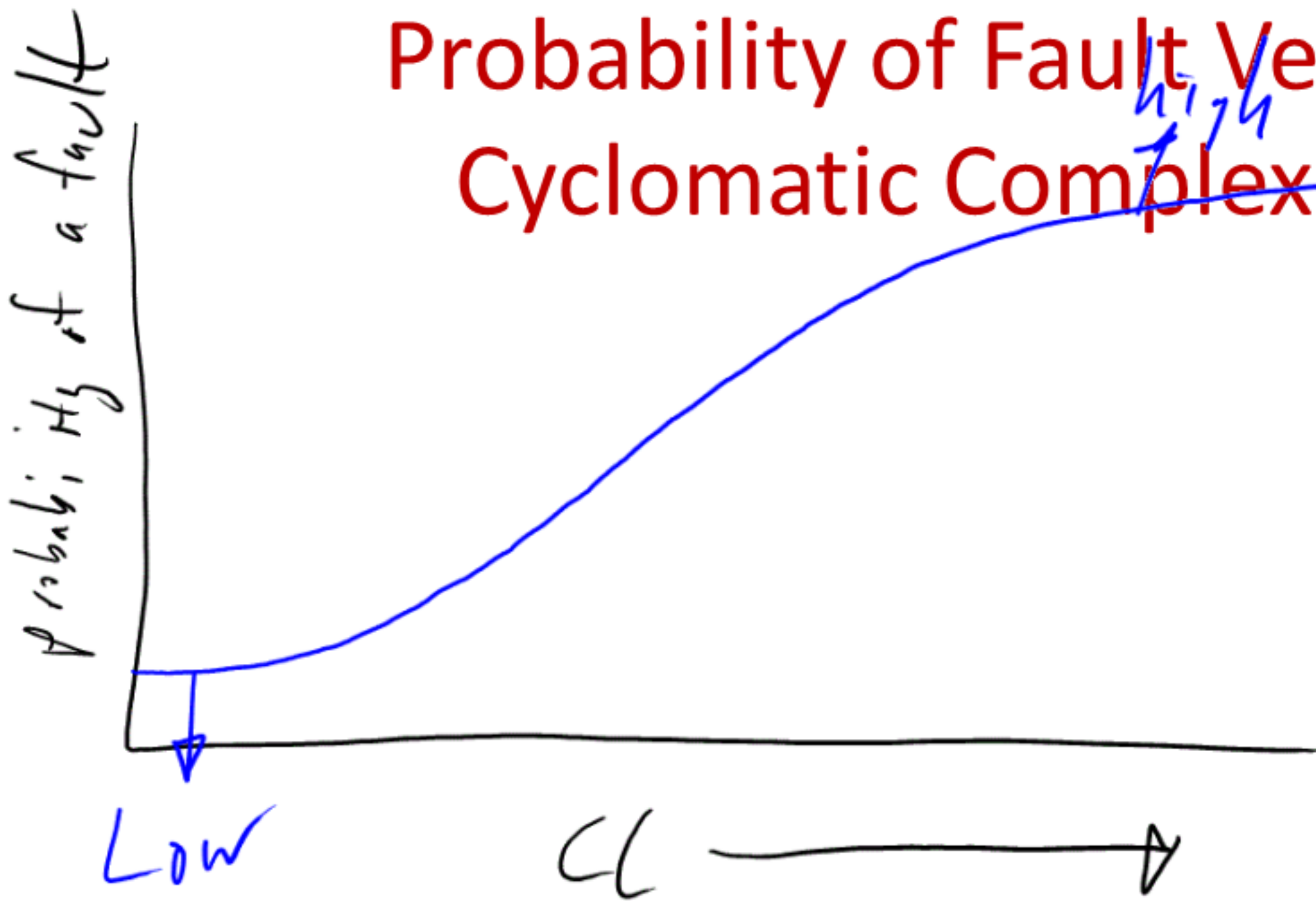
```
String identifyInsect(boolean hasWings, int noLegs) {  
    String insect = "Unknown";  
    if (hasWings == true) {  
        if (noLegs == 6)  
            insect = "Fly";  
        else if (noLegs == 4)  
            insect = "Grass Hopper";  
    } else {  
        if (noLegs == 8)  
            insect = "Spider";  
        else if (noLegs > 10 && noLegs < 200)  
            insect = "Millipede";  
    }  
    return insect;  
}
```

$$\begin{aligned} \text{CC} &= \text{edges} - \text{nodes} + 2 \\ &= 17 - 12 + 2 \\ &= 7 \end{aligned}$$

Answer

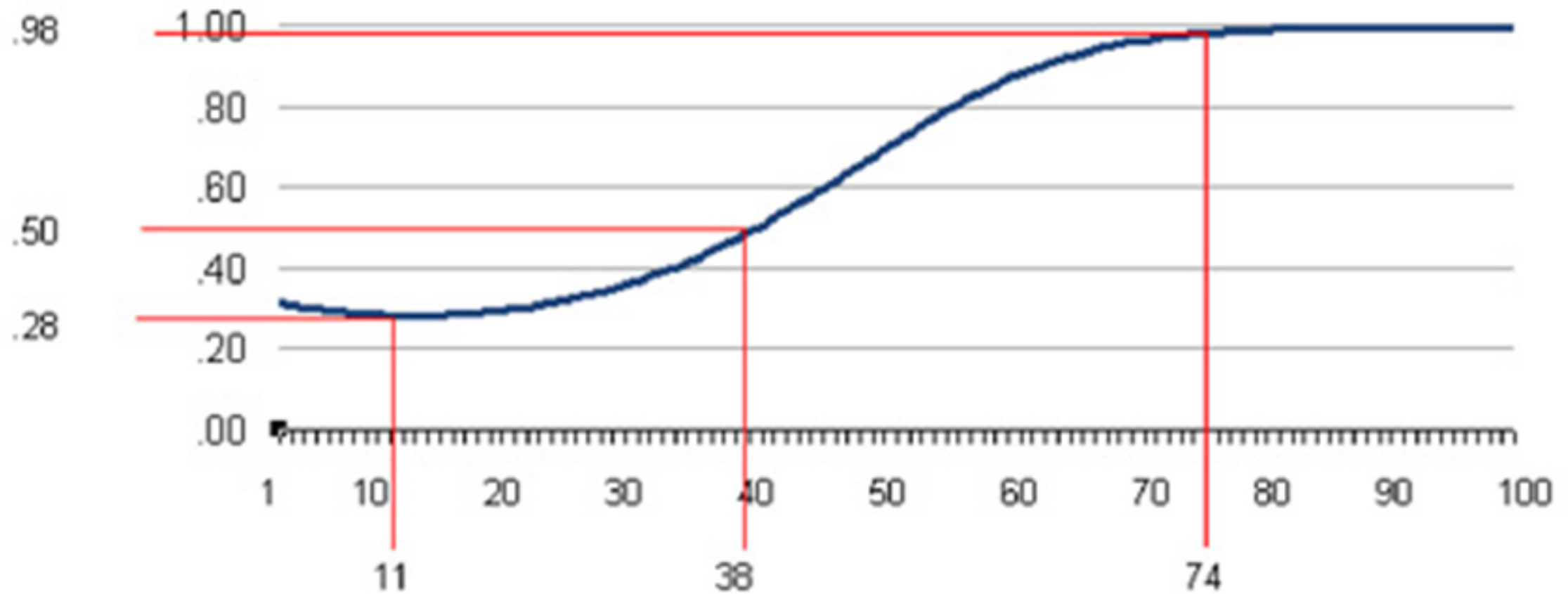


Probability of Fault Versus Cyclomatic Complexity



Probability of Fault Versus Cyclomatic Complexity

Prob(Fault Prone) for Cyclomatic



Cyclomatic Complexity and Testability

SEI

Cyclomatic Complexity	Testability
1-10	A Simple program without much risk
11-20	More complex, moderate risk
21-50	Complex, High Risk
51+	Untestable, very high risk

Issues with Cyclomatic

Complexity

- Are all decisions equal?
 - Case statement versus if statements?
 - Nested logic versus multiple conditions?

