



Coverage

Lecture Objectives:

- 1) Define node coverage
- 2) Define edge coverage
- 3) Define edge-pair coverage
- 4) Define prime path
- 5) Define prime path coverage
- 6) Construct a set of test paths which meet the criteria for node coverage
- 7) Construct a set of test paths which meet the criteria for edge coverage

Testing and Graphs

- We use graphs in testing as follows :
 - Developing a model of the software as a graph
 - Requiring tests to visit or tour specific sets of nodes, edges or subpaths
- Test Requirements (TR)
 - Describe properties of test paths
- Test Criterion
 - Rules that define test requirements
- Satisfaction *How well we do?*
 - *Given a set TR of test requirements for a criterion C, a set of tests T satisfies C on a graph if and only if for every test requirement in TR, there is a test path in path(T) that meets the test requirement tr*
- Structural Coverage Criteria
 - Defined on a graph just in terms of nodes and edges
- Data Flow Coverage Criteria
 - Requires a graph to be annotated with references to variables

Secure SW Development

Code Formatting

⇒ Coloration of code keywords

⇒ Indentation

⇒ Method Abstraction

Visualized code:

VML class diagrams

↳ How classes

↳ ~~are~~ are related

↳ static

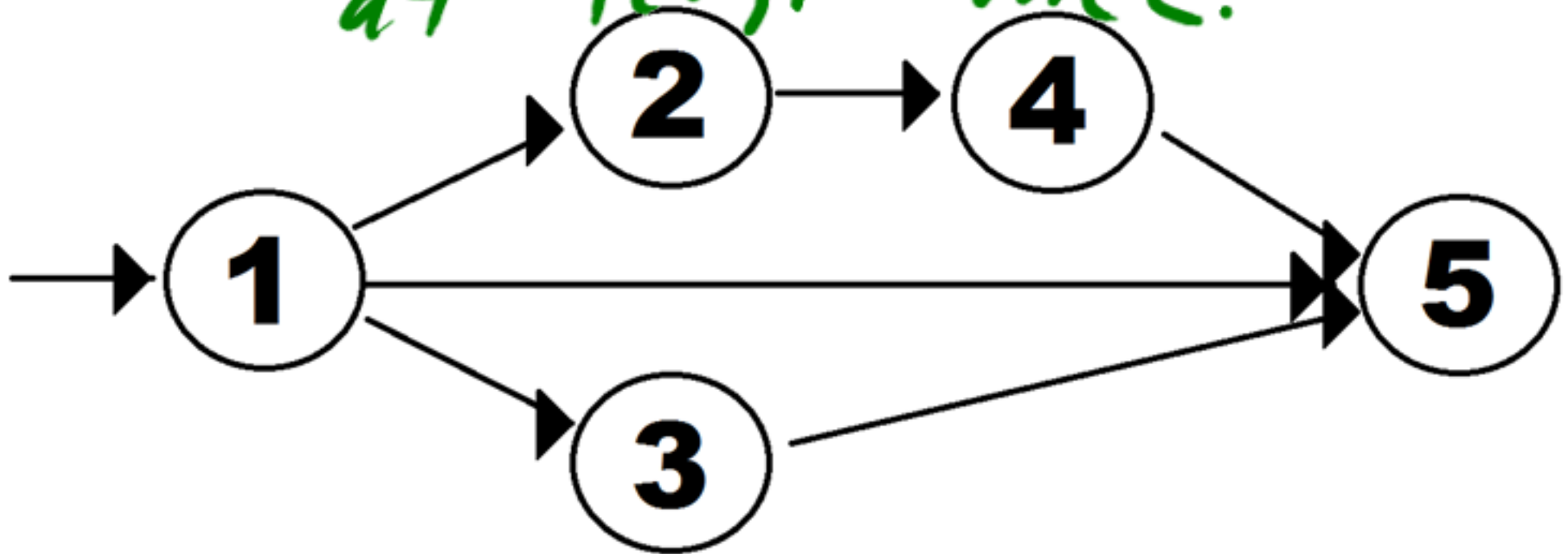
⇒ sequence diagrams
⇒ show execution over time.

Node Coverage

- Node Coverage (NC)

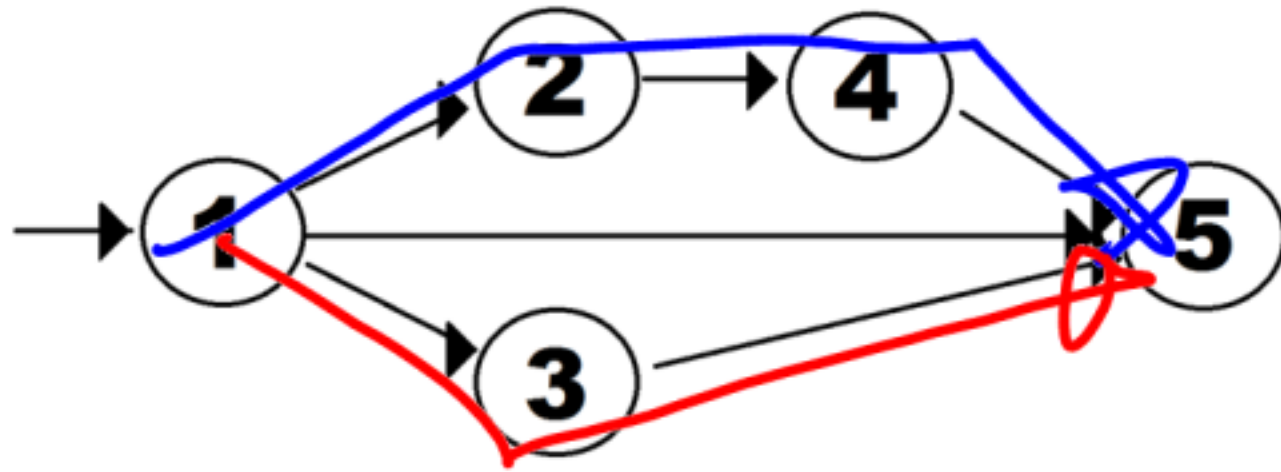
- Test set T satisfies node coverage on graph G iff for every syntactically reachable node n in N , there is some path p in $\text{path}(T)$ such that p visits n .

Minim # of test cases.
⇒ Get to every node at least once.



Node Coverage

- Node Coverage (NC)
 - Test set T satisfies node coverage on graph G iff for every syntactically reachable node n in N, there is some path p in path(T) such that p visits n.



How many test cases?

2



1 2 4 ~~5~~
1 3 5

- Edge Coverage (EC) : TR contains each reachable path of length up to 1, inclusive, in G.

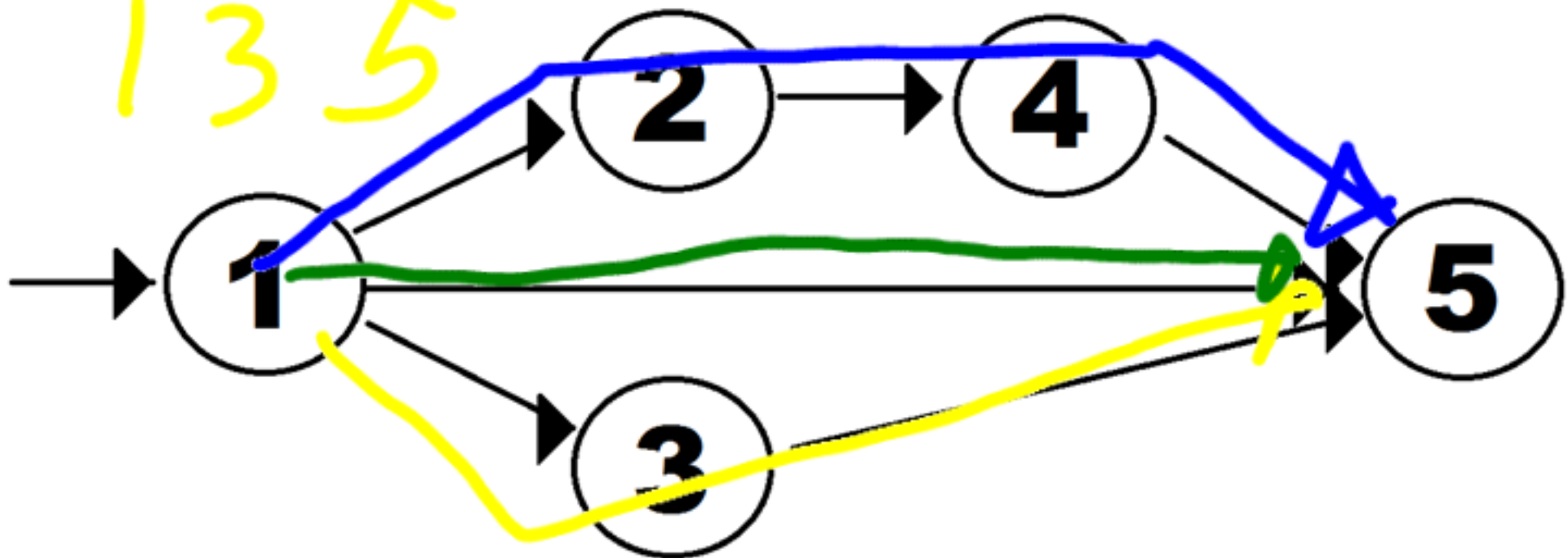
3 test case

Slightly stronger, better form of testing.

1 2 4 5 *15*

135

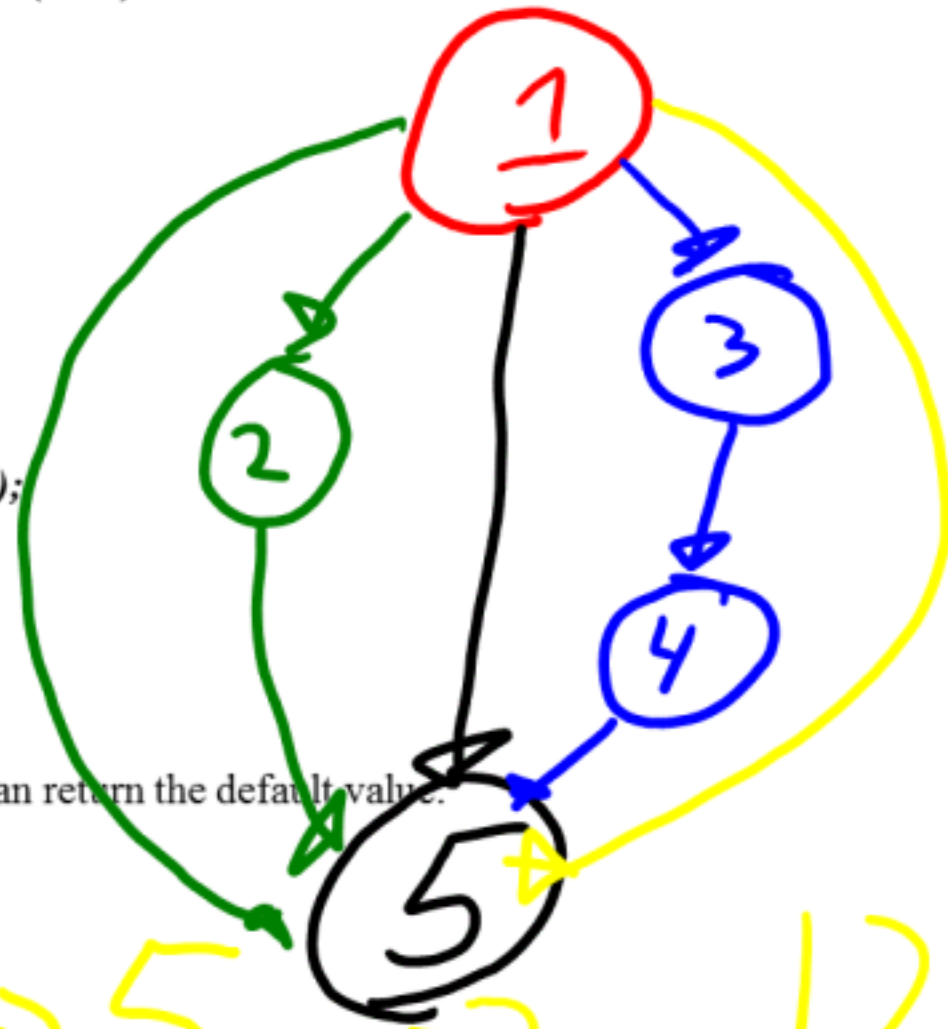
Edge Coverage



Example Code representing

```
public static int factorial(int x)
{
    1 int returnValue = 1;
    if (x < 0)
    2 {
        returnValue = 0;
    }
    else if (x > 0)
    3 {
        int p1 = factorial(x-1);
    4
        returnValue = p1 * x;
    }
    else
    {
        // Do nothing other than return the default value.
    }
    5 return returnValue;
}
```

this graph



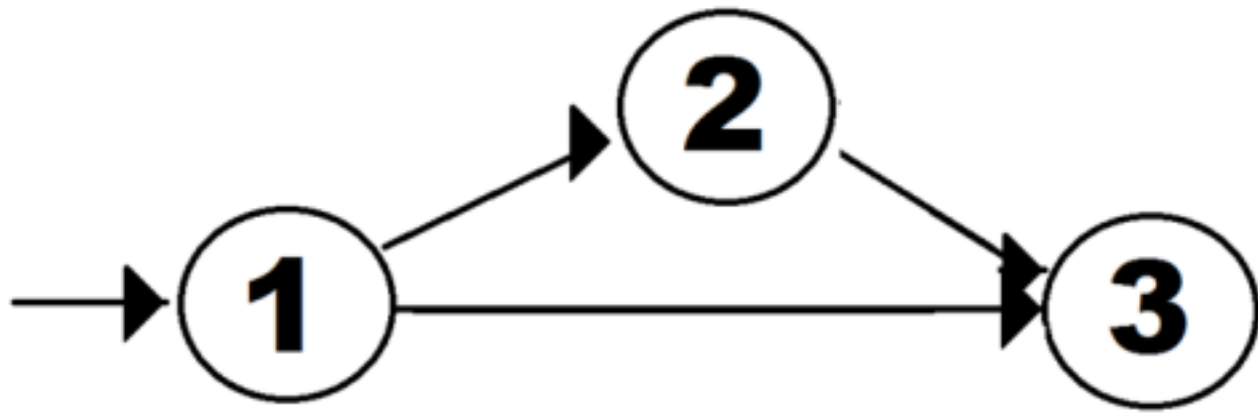
1 3 4 5 ⇒ 5

120



1 2 5 ⇒ -1 ⇒ Expected 0
1 5 ⇒ 0 ⇒ 1

Why is edge coverage better than node coverage?



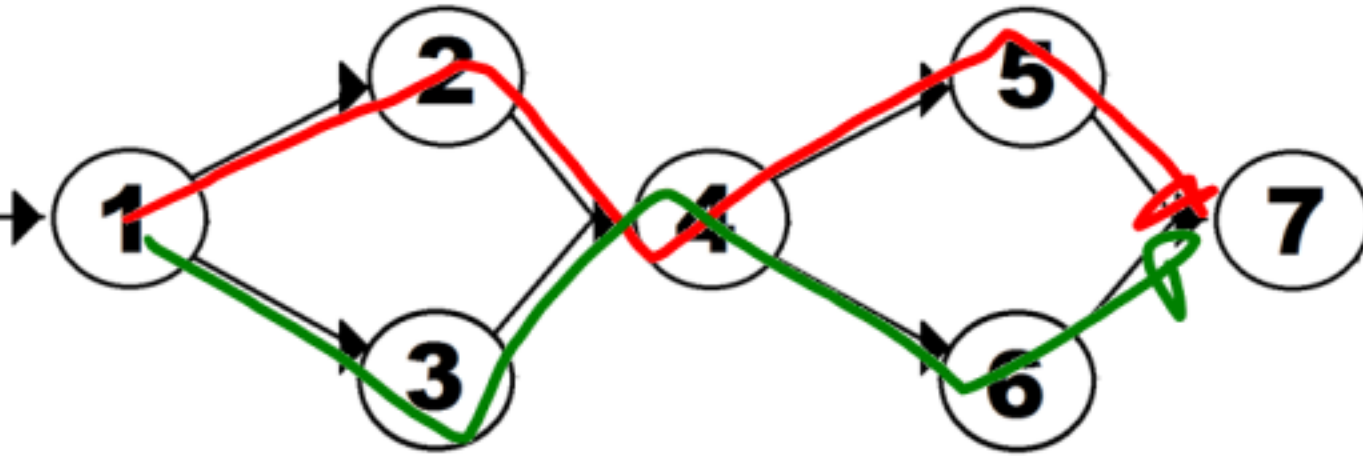
One Test case Node Coverage.

1 2 3

$\text{if}(x < 5)$
 $\{$
 $\quad y = \text{negative};$
 $\}$

- TR contains each reachable path of length up to 2, inclusive, in G.

Edge-Pair Coverage



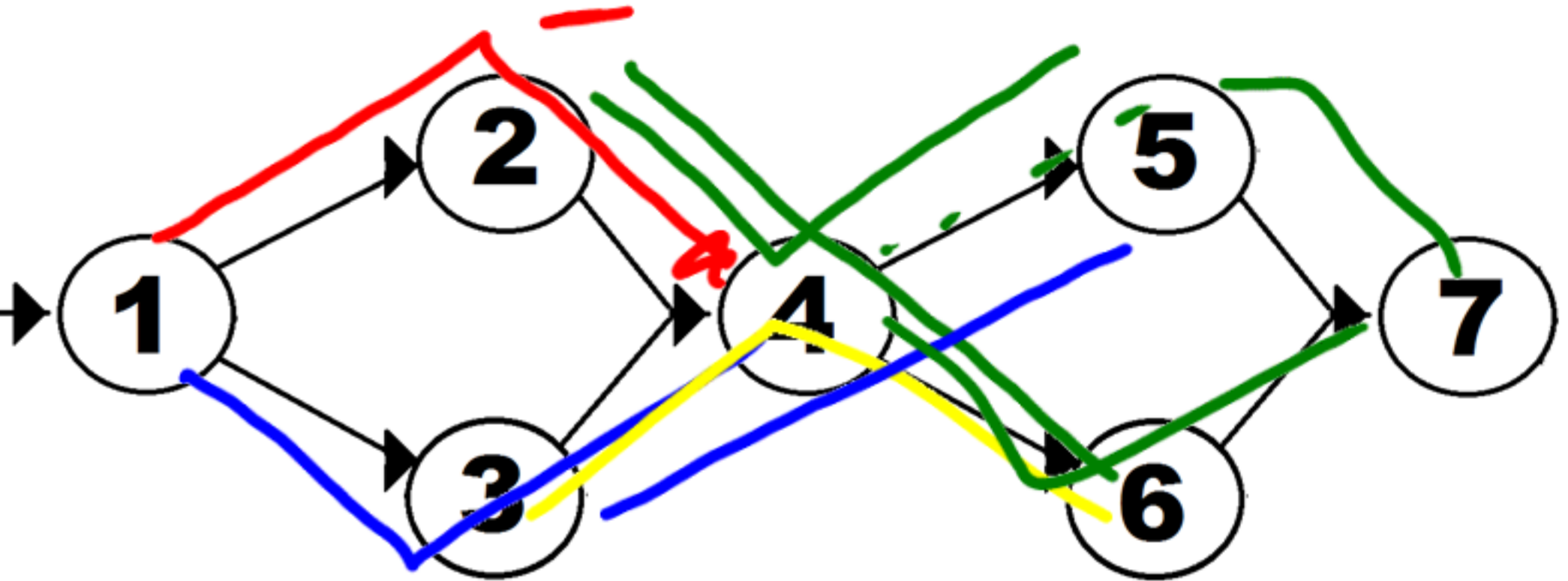
Edge Coverage:

2 ⇒ 1 2 4 5 7
 1 3 4 6 7

Notes 1 & 4 are
 if statements.
 one is y one is x based

- TR contains each reachable path of length up to 2, inclusive, in G.

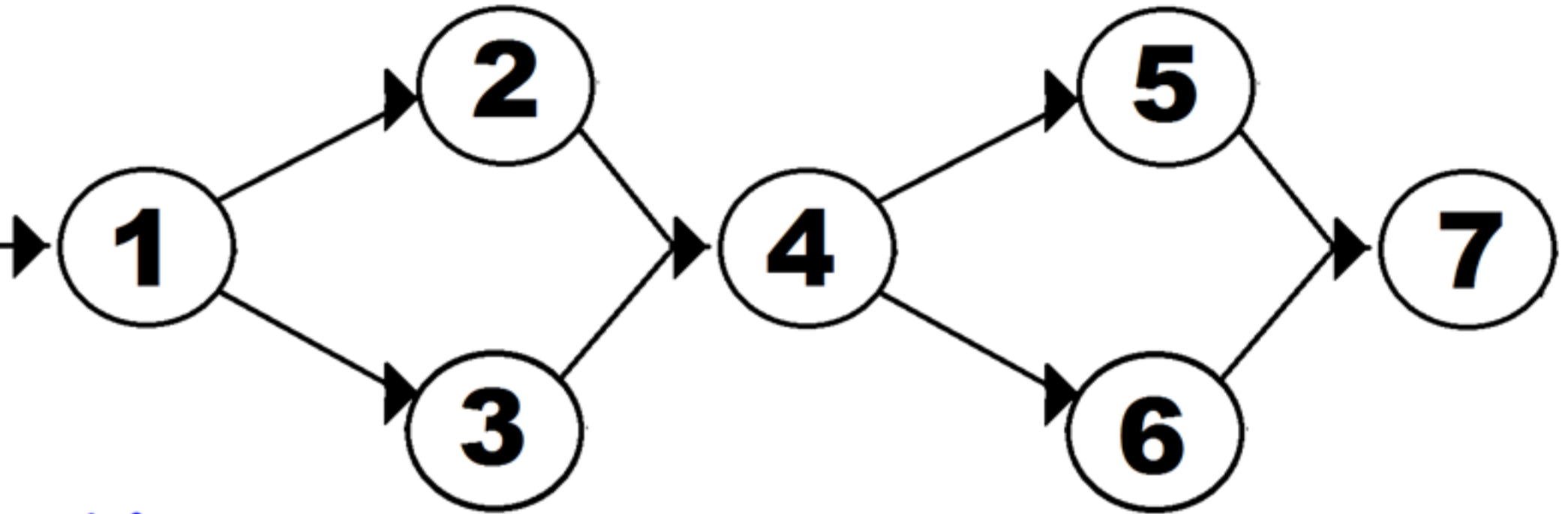
Edge-Pair Coverage



1 2 4 2 4 5 1 3 4
 3 4 6 2 4 6 3 4 5
 4 5 7 4 6 7

- TR contains each reachable path of length up to 2, inclusive, in G.

Edge-Pair Coverage



How many test cases:

4 =>

1 2 4 5 7

1 3 4 5 7

1 2 4 6 7

1 3 4 6 7



How do we deal with loops

in testing?

- If a graph contains a loop, it has an infinite number of paths
- Thus, CPC is not feasible

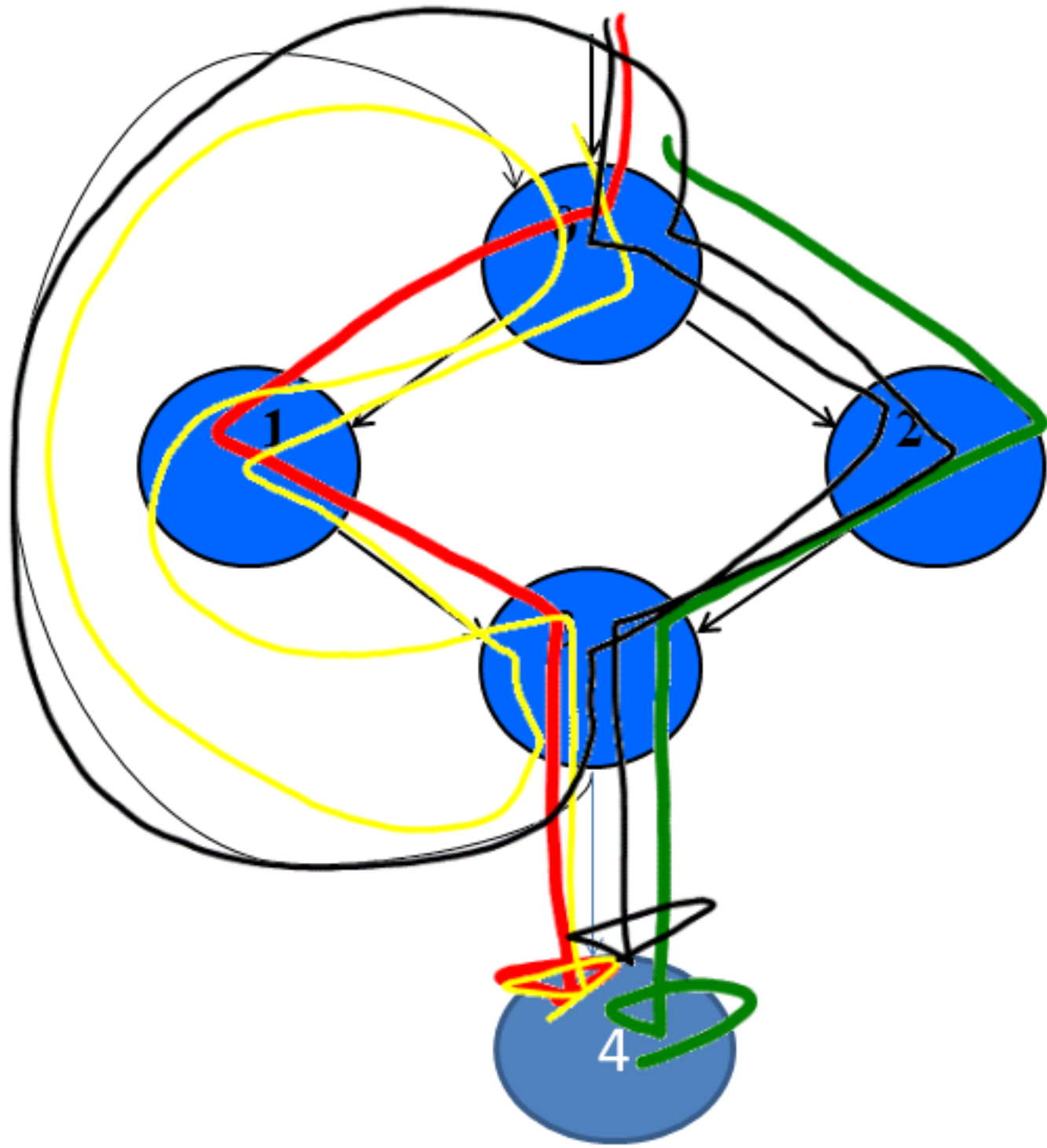
↙
Complete Path
Coverage
Not Feasible

How do we deal with loops

- 1970s :
 - Execute cycles once ([4, 5, 4] in previous example, informal)
- 1980s :
 - Execute each loop, exactly once (formalized)
- 1990s : *⇒ Smarter*
 - Execute loops 0 times, once, "more than once" (informal description)
- 2000s :
 - Prime paths *⇒ helps us a bit*

- Simple Path
 - A path from node n_i to n_j is simple if no node appears more than once, except possibly the first and last nodes are the same
 - No internal loops
 - Includes all other subpaths
 - A loop is a simple path
- Prime Path
 - A simple path that does not appear as a proper subpath of any other simple path

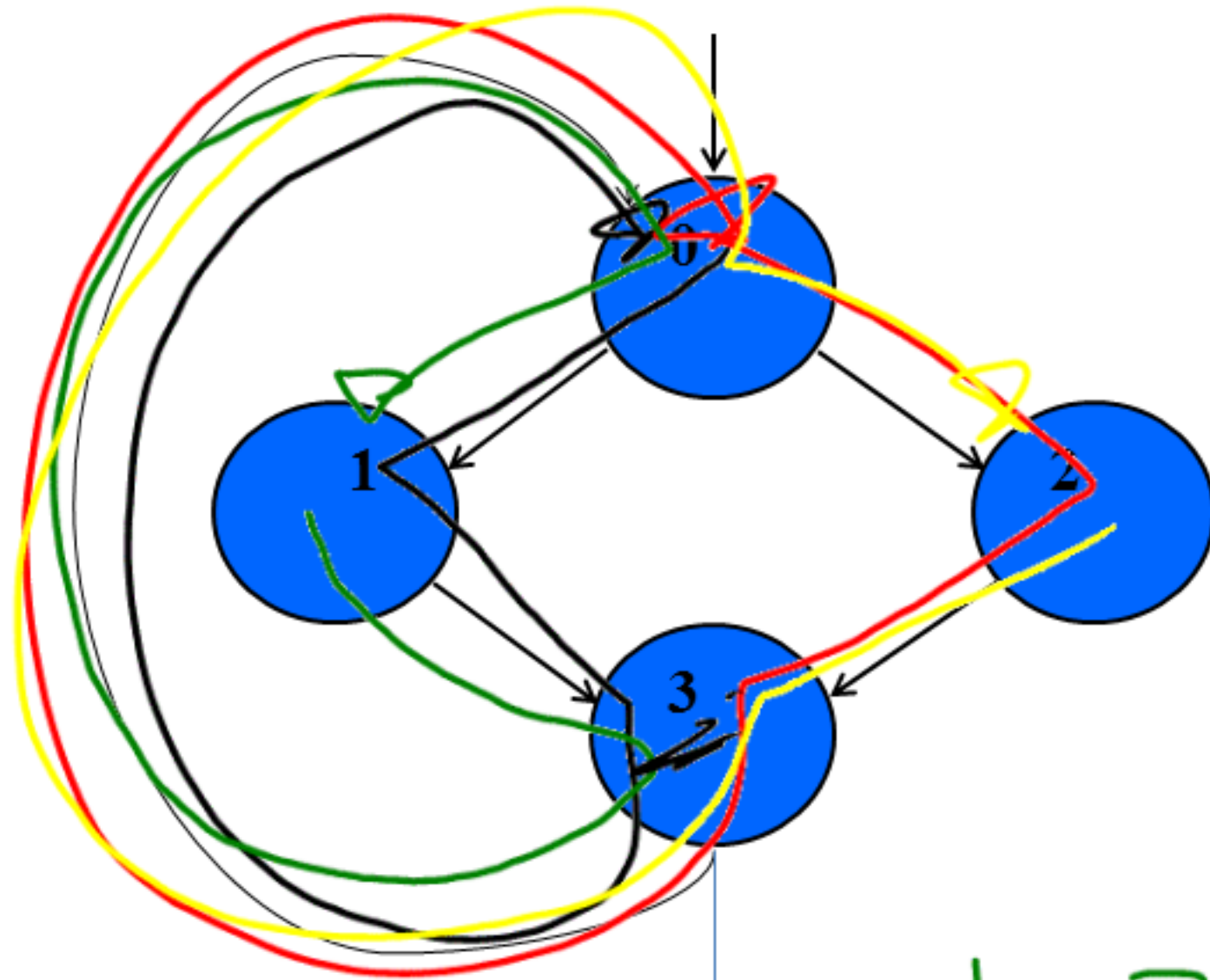
Simple and Prime Paths



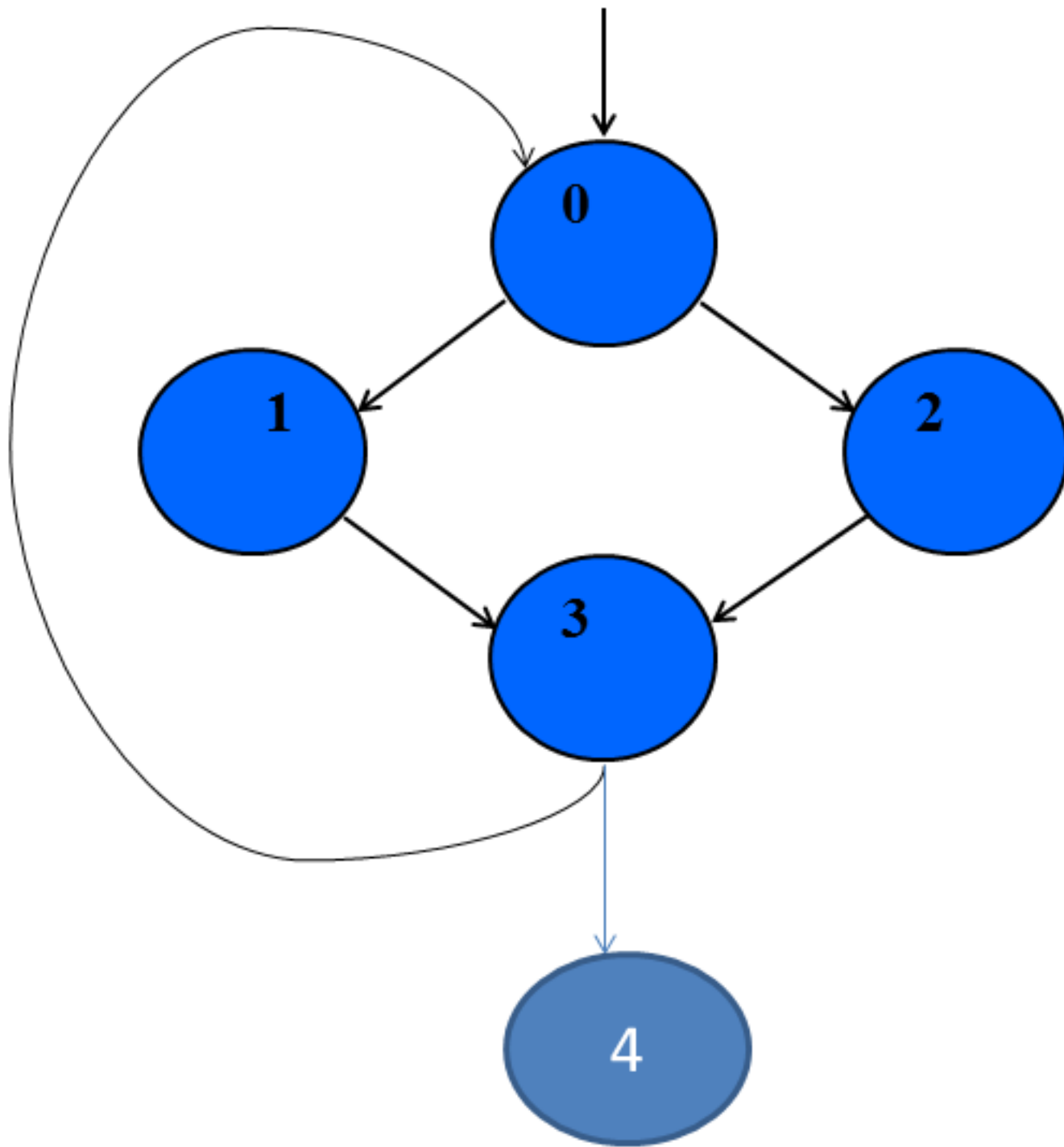
0 0 1 3 4 0 2 3 4
0 1 3 0 1 3 4 0 2 3 0 2 3 4



Simple and Prime Paths



Simple and Prime Paths



Prime Path Coverage / Complete Path Coverage

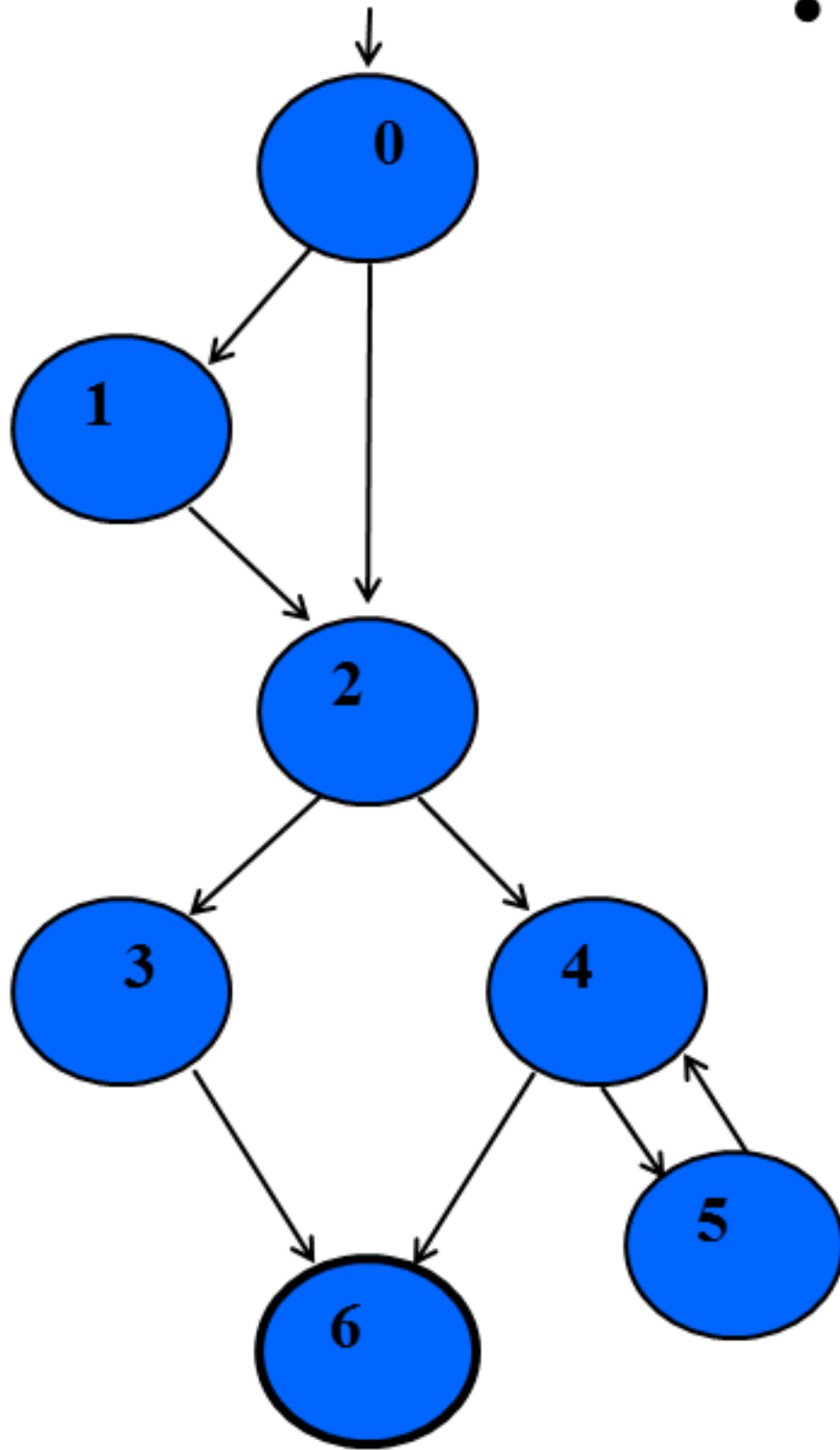
- Prime Path coverage
 - TR contains each prime path in G .

*A path from start
to finish w/out duplicating*

- Complete Path Coverage
 - TR contains all paths in G .

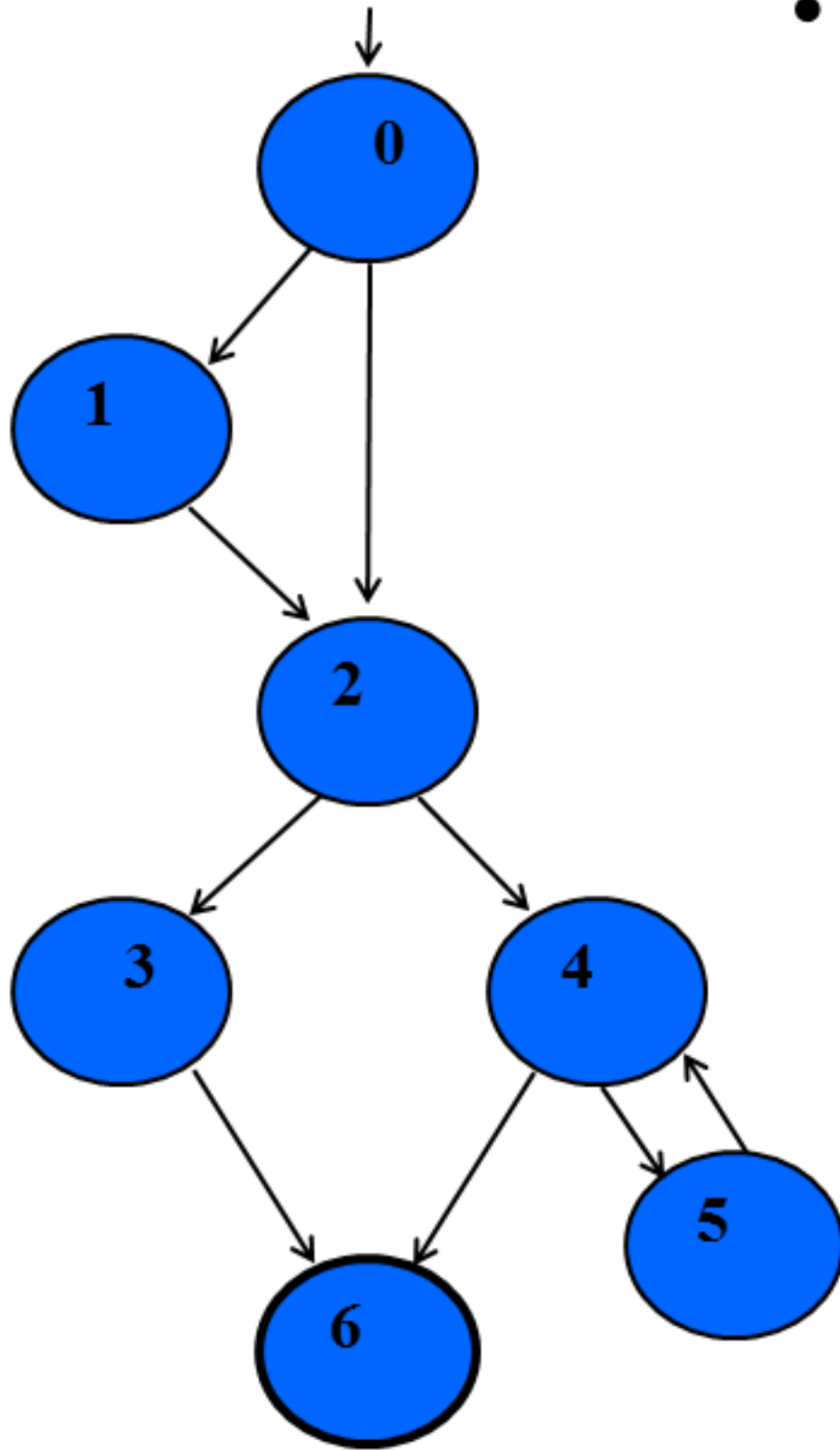
*proper
subpaths.*

Exercise: Construct test cases



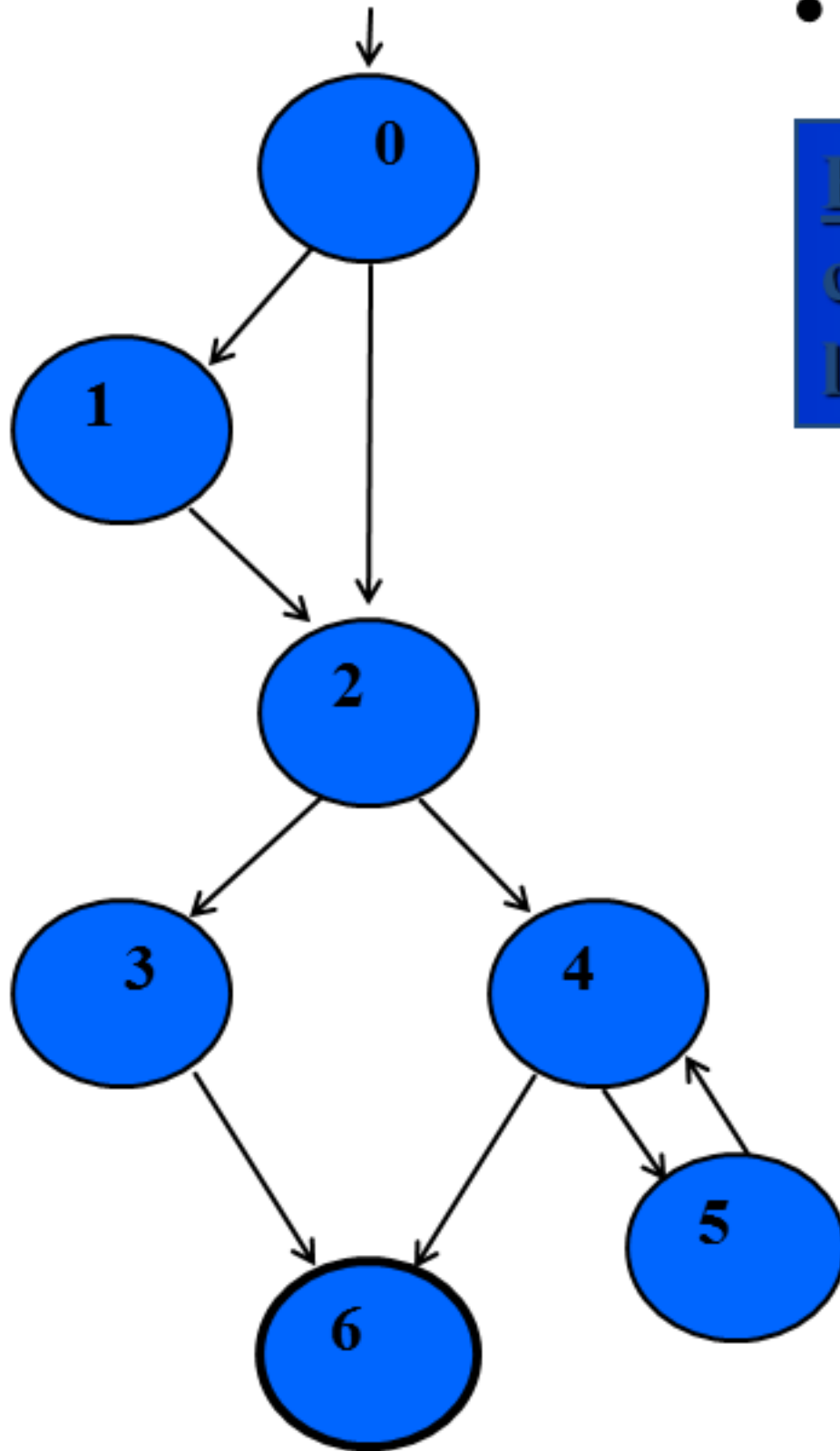
- Node Coverage

Exercise: Construct test cases



- Edge Coverage

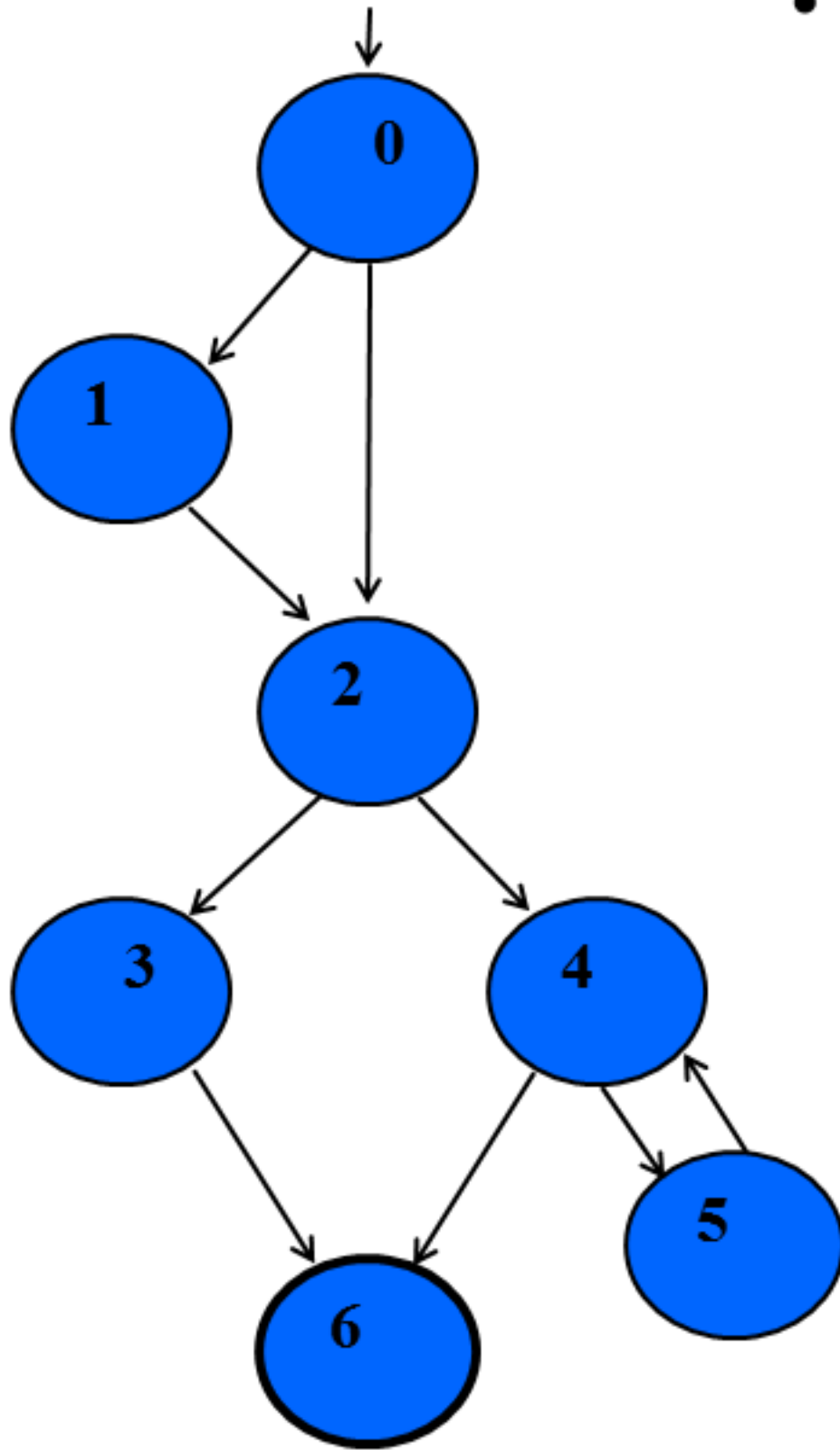
Exercise: Construct test cases



- Edge Pair Coverage

Edge-Pair Coverage (EPC) : TR contains each reachable path of length up to 2, inclusive, in G.

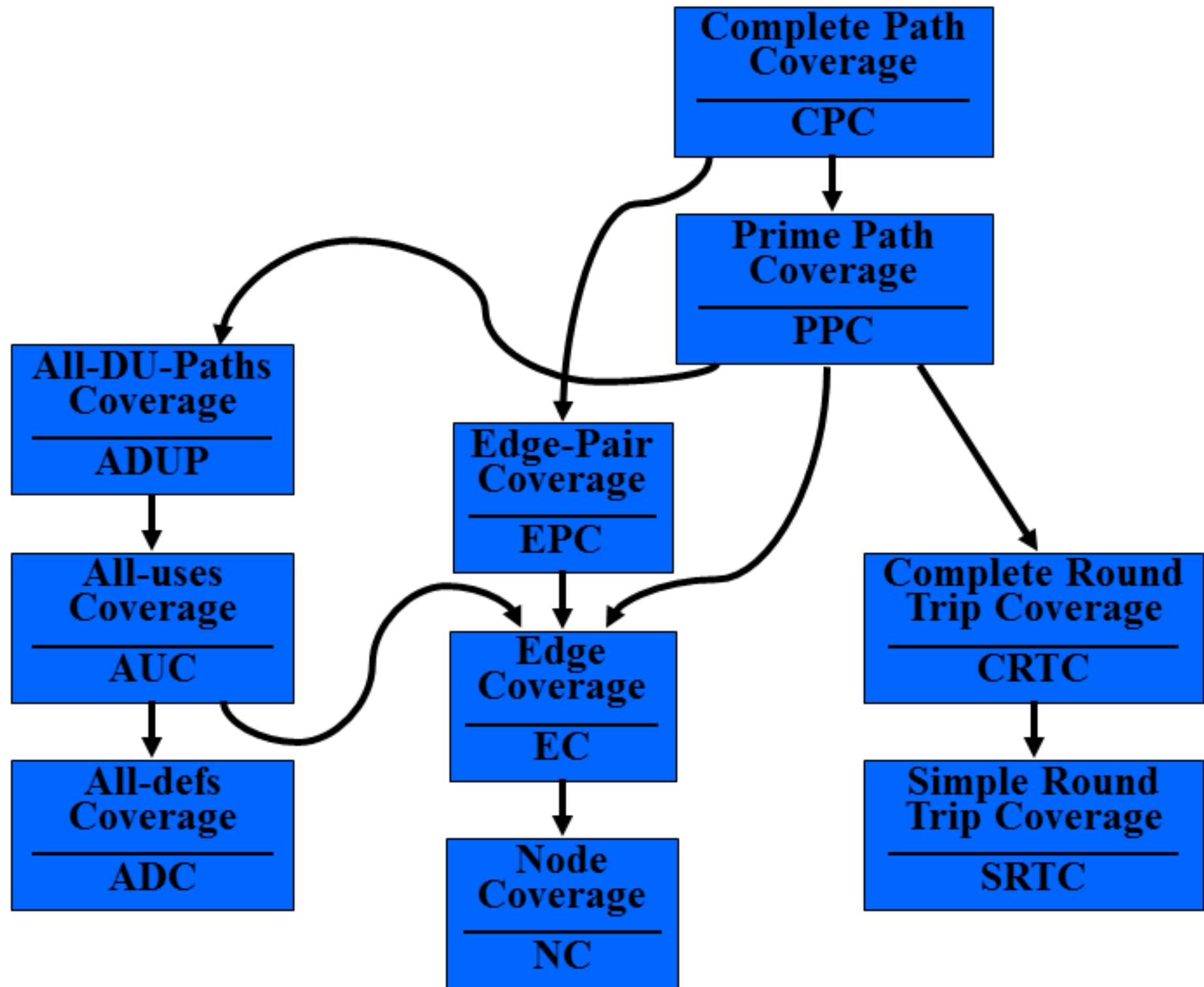
Exercise: Construct test cases



- Complete Path Coverage

Relationship between coverage criteria

(Note: We didn't cover all of these)



How does this relate to the real world?

- What does this mean from last week's lab?
- Which coverage types does EMMA provide?

Going Back to code

```
public static void printit(int value) {  
    value = value % 5;  
    switch (value) {  
        case 1:  
            System.out.println("1");  
            break;  
            System.out.println("Not good.");  
        case 2:  
            System.out.println("2");  
            break;  
        case 3:  
            System.out.println("3");  
            break;  
        case 4:  
            System.out.println("4");  
            break;  
        case 5:  
            System.out.println("5");  
            break;  
        default:  
            break;  
    }  
    return;  
}
```

Dealing with loops

(Hint: There is a bug in this code...)

```
/**
 * The method will sum the numbers between 1 and the actual
 number.
 * @param value This is the number that is to be counted up to
 * @return
 */
public static int sumNumbers(int value)
{
  int retValue = 0;

  for (int index = -1; index < value; index++)
  {
    retValue += index;
  }
  return retValue;
}
```